



WINTER- 18 EXAMINATION

Subject Name: Design of Machine Elements

Model Answer

Subject Code:

17610

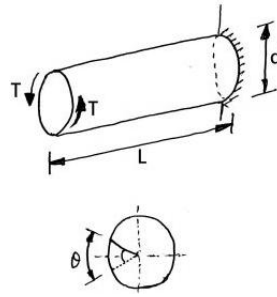
Important Instructions to examiners:

- 1) The answers should be examined by key words and not as word-to-word as given in the model answer scheme.
- 2) The model answer and the answer written by candidate may vary but the examiner may try to assess the understanding level of the candidate.
- 3) The language errors such as grammatical, spelling errors should not be given more Importance (Not applicable for subject English and Communication Skills).
- 4) While assessing figures, examiner may give credit for principal components indicated in the figure. The figures drawn by candidate and model answer may vary. The examiner may give credit for any equivalent figure drawn.
- 5) Credits may be given step wise for numerical problems. In some cases, the assumed constant values may vary and there may be some difference in the candidate's answers and model answer.
- 6) In case of some questions credit may be given by judgement on part of examiner of relevant answer based on candidate's understanding.
- 7) For programming language papers, credit may be given to any other program based on equivalent concept.

Q. No.	Sub Q. N.	Answer	Marking Scheme
1	a)	Attempt any THREE	12 marks
	i)	State maximum principal stress theory and maximum shear stress theory. Maximum Principal Stress Theory: This theory states that failure occurs when the maximum principal stress from a combination of stresses equals or exceeds the value obtained for the direct stress at yielding in a simple tension test. Maximum Shear Stress Theory: This theory states that failure occurs when the maximum shear stress from a combination of stresses equals or exceeds the value obtained for the shear stress at yielding in the simple tensile test.	02 marks each
	ii)	Define lever w.r.to (i) M.A.=1 (ii) M.A.<1 (iii) M.A.>1. Define leverage <u>Mechanical Advantage (M.A.)=1</u> A rigid rod or bar pivoted at a point and capable for turning about the pivot point called fulcrum. In this case the length of the effort arm and the length of the load arm are equal . length of the effort arm= length of the load arm	01 marks each



Q. No.	Sub Q. N.	Answer	Marking Scheme
		<p><u>Mechanical Advantage (M.A.) < 1</u></p> <p>A rigid rod or bar pivoted at a point and capable for turning about the pivot point called fulcrum. In this case the length of the effort arm is less than the load arm.</p> <p>length of the effort arm < length of the load arm</p> <p><u>Mechanical Advantage (M.A.) > 1</u></p> <p>A rigid rod or bar pivoted at a point and capable for turning about the pivot point called fulcrum. In this case the length of the effort arm is greater than the load arm.</p> <p>length of the effort arm > length of the load arm</p> <p>Leverage: The ratio of length of effort arm to the length of load arm is called leverage.</p> <p>iii) What is endurance limit? Define fatigue failure.</p> <p>Endurance Limit: It is defined as the maximum value of completely reversed bending stress that a material can withstand for a finite number of cycles (i.e. 10^7 cycles) without a fatigue failure.</p> <p>Fatigue failure: Fatigue failure refers to the fracturing of any given material due to the progressive cracking of its brittle surface under applied stresses of an alternating or cyclic nature.</p> <p>iv) Explain:</p> <p>i) Transverse shear stress: When a mechanical component is subjected to two equal and opposite forces acting tangentially across the resisting area resulting in shearing off of the section, the stress induced in such a case is known as transverse shear stress.</p> <div data-bbox="565 1625 1094 1822" data-label="Image"> </div> <p>ii) Torsional shear stress with neat sketch: When a machine component is subjected to the action of two equal and opposite couple acting in parallel plane (torque or twisting) then the machine component is subjected to torsion and the stress induced in such a case is known torsional shear stress.</p>	<p>02 marks each</p> <p>02 marks each</p>

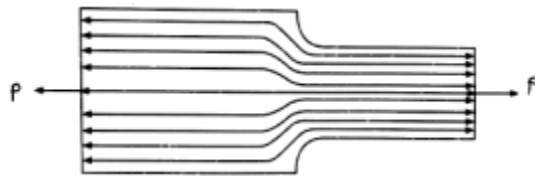


b) Attempt any ONE:

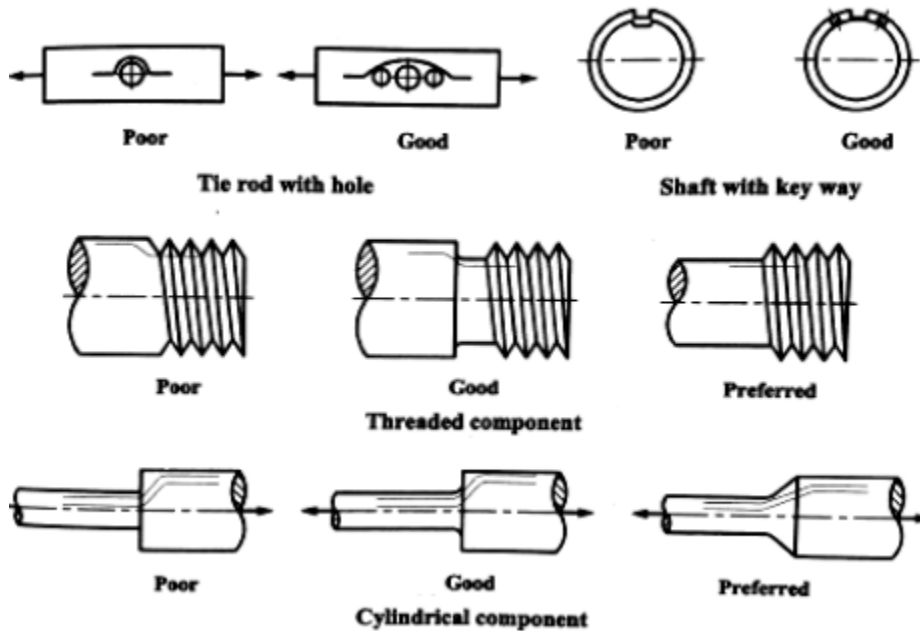
06 marks

i) Define stress concentration with neat sketch. Explain with figures only the several ways of reducing the stress concentration in shafts and other cylindrical members with shoulders, holes and threads respectively.

Stress concentration: The stresses induced in the neighborhood of the discontinuities like key ways, threaded grooves, holes, notches are much higher than the stresses in the other parts of the stressed component. This concentration of high stresses due to discontinuities and abrupt changes in cross section is called stress concentration. (01 mark for definition 01 mark for figure)

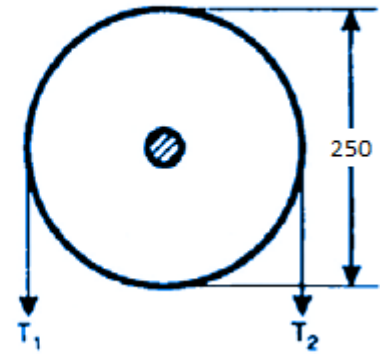
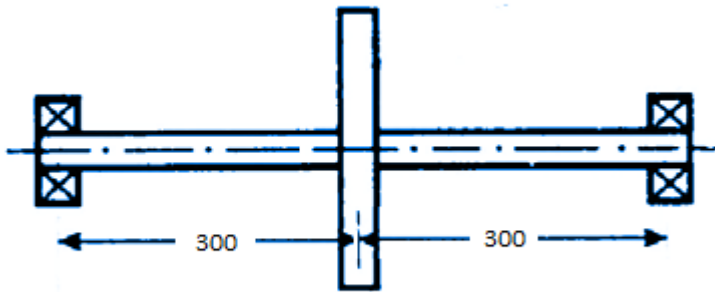


(04 marks for the figures of explaining stress reduction in shafts, cylindrical members with shoulders, holes, threads)



ii) Design a shaft transmitting power of 60kW at 600 rpm as shown in Fig. No.1.
(P- 01 mark, T -01 mark, T1,T2 -01 mark, M -01 mark and d-02 marks)

06 marks



$$\text{Given } P = 60 \text{ kW} = 60 \times 10^3 \text{ W}$$

$$N = 600 \text{ rpm}$$

$$K = d_i/d_o = 1.5$$

$$\Theta = 180^\circ$$

$$D_p = 250 \text{ mm}$$

$$W_p = 700 \text{ N}$$

$$T_1/T_2 = 3$$

$$K_m = 2$$

$$K_t = 21.5$$

$$T = 52 \text{ N/mm}^2$$

$$P = \frac{2\pi NT}{60}$$

$$60 \times 10^3 = \frac{2\pi \times 600 \times T}{60}$$

$$T = 954 \times 10^3 \text{ N-mm}$$

$$T = (T_1 - T_2)R$$

$$954 \times 10^3 = (3T_2 - T_2)125$$

$$T_2 = 3816 \text{ N}$$

$$T_1 = 3816 \times 3 = 11448 \text{ N}$$

Maximum bending moment occurs at C, considering the simply supported beam

$$\text{Bending moment, } M = WL/4$$

$$M = \frac{(T_1 + T_2 + W_p) \times 600}{4}$$

$$= \frac{(11448 + 3814 + 700) \times 600}{4}$$

$$\text{Put the value of } T_2 = 3816$$

$$= 2394300 \text{ N-mm}$$

$$M = 2394600 \text{ N-mm}$$

The equivalent twisting moment,

$$T_e = \sqrt{(k_m \times M)^2 + (k_t \times T)^2}$$

$$= \sqrt{(2 \times 2394300)^2 + (1.5 \times 954 \times 10^3)^2}$$

$$= 4997415 \text{ N-mm}$$

$$= 4998419 \text{ N-mm}$$

$$T_s = \frac{\pi}{16} d^3 \tau_s [1 - k^4]$$

$$4997415 = \frac{\pi}{16} \times d^3 \times 52 \times [1 - 0.5^4]$$

$$d = 80.52 \text{ mm}$$

$$d \cong 82 \text{ mm}$$

2

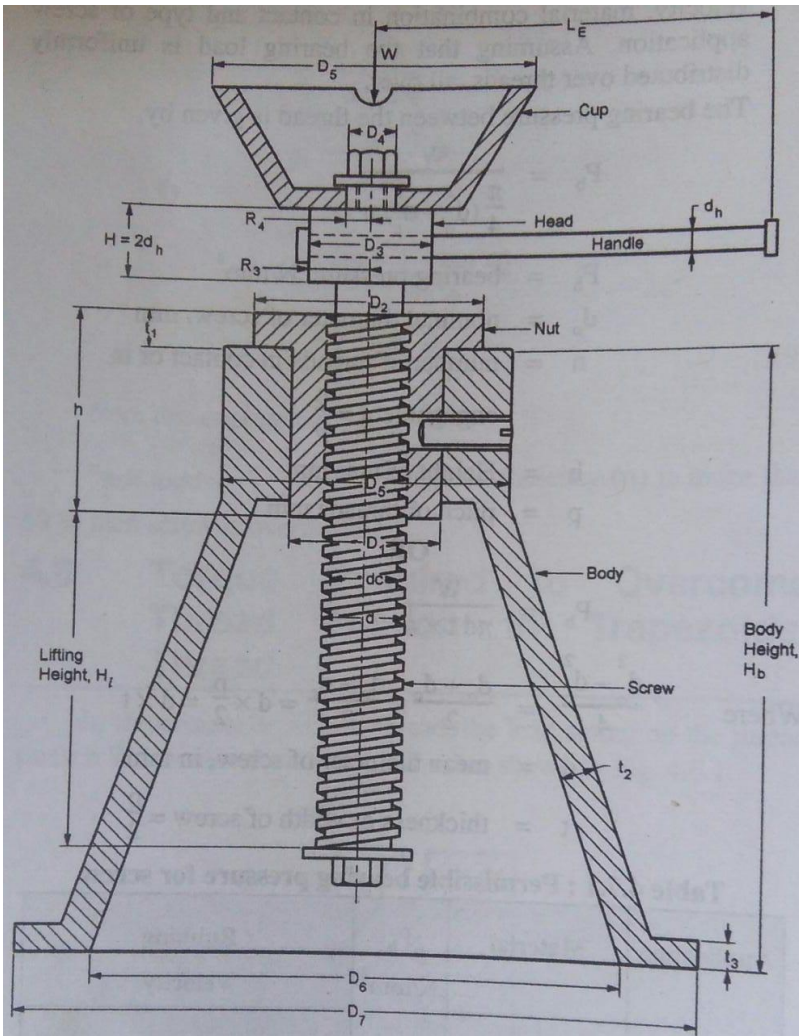
a)

Attempt any TWO

Write down the design procedure of power screw for nut and screw with diagram. (02marks for diagram, 03 marks for design procedure of nut and 03 marks for that of the screw)

16 marks

08 marks



1) Design of screw

i) Find the core diameter of screw (d_c) by considering the screw under pure compression.

The direct compressive stress induced in the screw is given by

$$\sigma_c = \frac{W}{A} = \frac{W}{\frac{\pi}{4} d_c^2}$$

$$d_c = \sqrt{\frac{4W}{\pi \sigma_c}}$$

the core diameter d_c can be obtained



ii) Select the standard square thread for screw using the table, of normal series, select d_c , d_o and pitch OR. Take $(d_c + 6) = d_c$ for design

$$d_o = \frac{d_c}{0.84}$$

$$d_c = d_o - p$$

$$\text{main diameter, } d = d_o - \frac{p}{2} = \frac{d_o - d_c}{2}$$

P = pitch of screw

iii) In addition to direct compressive load, the screw is subjected to twisting moment T_1 , so for that the core diameter is increased and appropriately find the torque required to rotate the screw

$$T_1 = W \tan(\alpha + \phi) \frac{d}{2}$$

a) Shear stress due to torque

$$\tau = \frac{16 T_1}{\sigma d_c^3}$$

b) Direct compressive stress due to axial load

$$\sigma_c = \frac{4 W}{\pi d_c^2}$$

Check the screw by,

i) Maximum principal stress theory,

$$(\sigma_c)_{max} = \frac{1}{2} [\sigma_c + \sqrt{\sigma_c^2 + 4\tau^2}]$$

ii) Maximum shear stress theory,

$$\tau_{max} = \frac{1}{2} \sqrt{\sigma_c^2 + 4\tau^2}$$

These stresses $\sigma_{c \max}$ and τ_{\max} should be less than permissible stresses.

2) (a) Design of nut

i) The height of nut 'h' can be found by considering the bearing pressure on Nut

$$P_b = \frac{W}{\frac{\pi}{4} (d_o^2 - d_c^2) x n}$$

Where, n is the number of threads in contact with screw spindle

$$\text{Height of nut} = h = n \times p$$

Where p = pitch of the thread

ii) Check for shear stresses in screw and nut threads

$$\text{Shear stress in screw } \tau_s = \frac{W}{\pi d_c t x n}$$

$$\text{Shear stress in nut } \tau_n = \frac{W}{\pi d_o t x n}$$

For safety of the screw and nut thread

τ_s and $\tau_n \leq \tau_d$ (allowable shear stresses)

b) Design of nut collar

To find the diameter of nut collar

Let D1 = outer diameter of Nut in mm

D2 = outer diameter of Nut collar in mm

t_1 = thickness of Nut collar in mm

a) Considering tearing of the nut due to tensile stress

$$\sigma_{t \text{ nut}} = \frac{W}{\frac{\pi}{4}(D_1^2 - d_o^2)}; \text{ find } D_1$$

b) Considering the crushing of the nut and collar

$$\sigma_{c \text{ nut}} = \frac{W}{\frac{\pi}{4}(D_2^2 - D_1^2)}; \text{ find } D_2$$

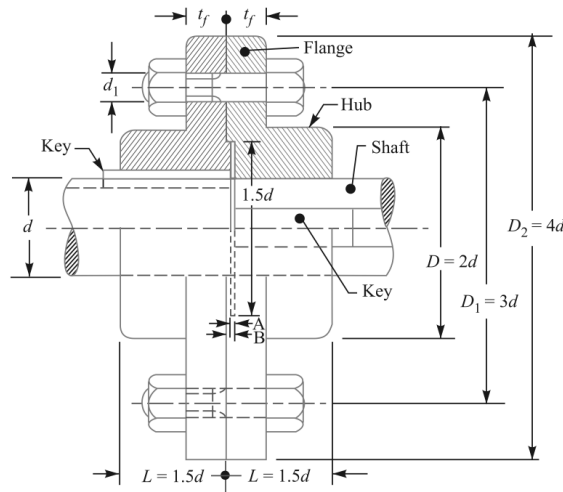
c) Considering the shearing of the nut and collar

$$\tau_{s \text{ nut}} = \frac{W}{\pi D_1 t_1}; \text{ find } t_1$$

b) **Explain design procedure of a flange coupling.**

8 marks

(02 marks for figure, 01 mark for shaft design, 02 marks for flange design, 02 marks for key design and 01 for bolts design)



Let

d = Diameter of the shafts

D = Diameter Of hub

D_1 = Pitch circle diameter

D_2 = Outer diameter Of the flange

L = Length of the flange

t_f =Thickness of the flange

d_c =Core diameter of bolt

d_o = Outer diameter of bolt

n =no of bolts

t = thickness of the key

w =width of the key

l = length of the key

Step 1. To find torque acting on the shaft

$$T = \frac{60P}{2 \times \pi \times N} \times 10^6$$

Using this formula the Toque acting on the shaft is calculated.



Step 2. To find diameter of shaft to transmit required torque

$$T = \frac{\pi}{16} \times \tau \times d^3$$

Use this equation to find the diameter of the shaft.

Step 3. Design of flanges

Empirical Relations

$$D = 2 \times d$$

$$D_1 = 3 \times d$$

$$D_2 = 4 \times d$$

$$l = 1.5 \times d$$

$$t_f = 0.5 \times d$$

$$t_p = 0.25 \times d$$

Check shear stress in hub

$$T = \frac{\pi}{16} \times \tau \times [D^3(1 - k^4)]$$

Find induced stress τ =induced shear stress. This should be less than allowable shear stress

Check Shear stress in the Flange

Force = area resisting Stress

$$\frac{T}{D/2} = \pi \times D \times t_f \times \tau$$

Find induced stress τ =induced shear stress. This should be less than allowable shear stress

Step 4. Design Of Key

Empirical relation

$w=t=d/4$ {if crushing stress is twice the shear stress}

$w=d/4$ and $t=d/6$ {if crushing stress is not twice the shear stress}

length of key = length of flange

check shear stress induced in key

$$T/(d/2)=\{w \times l\} \tau$$

Find induced stress τ =induced shear stress. This should be less than allowable shear stress

check crushing stress induced in key

$$T/(d/2)=\{t/2 \times l\} \sigma_c$$

Find induced stress σ_c =induced crushing stress. This should be less than allowable shear stress

Step 5. Design Of Bolts

No of Bolts

$n=4$ if diameter of shaft is upto $d < 55$ mm

$n=6$ if diameter is between $55 < d < 150$ mm



$n=8$ if diameter is above $d>150\text{mm}$.

Shear Failure of bolts

$$T/(D1/2) = \{ n \times \pi/4 \times d_c^2 \}$$

$$D_c = \dots$$

$$d_o = d_c/0.84$$

The bolt size should be rounded to nearest even number..

c) i) **Define factor of safety for brittle materials and ductile materials.**

04 marks

(02 marks definition of factor of safety and 01 each for that of ductile and brittle materials)

While designing any mechanical component always there are certain areas of uncertainties such as variation and non uniformity in the mechanical strength etc. Hence in order to prevent failure of the component, designer assuming a value of design stress, which is very less as compared to the yield stress or ultimate stress. So factor of safety is defined as maximum stress to working stress or design stress.

1. For ductile materials: The factor of safety is defined as the ratio of yield point stress to design stress.

$$\text{Factor of safety (Nf)} = \frac{\text{Yield Stress}}{\text{Working of design stress}}$$

2. For brittle materials: The factor of safety is defined as the ratio of ultimate stress to design stress.

$$\text{Factor of safety (Nf)} = \frac{\text{Ultimate Stress}}{\text{Working of design stress}}$$

ii) **Design a rectangular key for shaft of 50 mm diameter. The permissible stresses for key material are 40 N/mm² in shear and 70 N/mm² in crushing.**

04 marks

(for Torque 01 mark and 03 marks for key design)

Diameter of shaft, $d = 50 \text{ mm}$

$$\tau_s = 40 \text{ N/mm}^2$$

$$\sigma_c = 70 \text{ N/mm}^2$$

$$\text{Torque transmitted, } T = \frac{\pi}{16} \tau_s d^3$$

$$= \frac{\pi}{16} \times 40 \times (50)^3$$

$$= 981747.704 \text{ N-mm}$$

Given rectangular key, hence

Thickness of the key, $t = d/6 = 2w/3$

$$t = 50/6 = 8.33 \text{ mm}$$

Considering crushing failure of key

$$T = l \times \frac{t}{2} \times \sigma_{ck} \times \frac{d}{2}$$



$$981747.704 = l \times \frac{8.33}{2} \times 70 \times \frac{50}{2}$$

$$l = 134.69 \cong 135 \text{ mm}$$

\therefore the length of the key = 135 mm

Considering shearing of the key

$$T = lwr \times \frac{d}{2}$$

$$981747.704 = 135 \times w \times 40 \times \frac{50}{2}$$

$$w = 7.27 \cong 7.5 \text{ mm}$$

OR

put $w = d/4 = 50/4 = 12.5 \text{ mm}$

$$T = lwr \times \frac{d}{2}$$

Find l , $l = 78.53 \text{ mm}$

Taking the higher value, $l = 135 \text{ mm}$

3

a

Attempt any FOUR (Explanation -3, expression-1)

04

What is the effect of keyways on the strength of shaft. Write the expression

The keyway cut into the shaft reduces the load carrying capacity of the shaft. This is due to the stress concentration near the corners of the keyway and reduction in the cross-sectional area of the shaft i.e. the torsional strength of the shaft is reduced.

The following relation for the weakening effect of the keyway is based on the experimental results by H.F. Moore

$$e = 1 - 0.2(w/d) - 1.1(h/d)$$

Where,

e = Shaft strength factor. It is the ratio of the strength of the shaft with keyway to the strength of the same shaft without keyway

w = Width of keyway,

d = Diameter of shaft, and

h = Depth of keyway = Thickness of key / 2

It is usually assumed that the strength of the keyed shaft is 75% of the solid shaft, which is somewhat higher than the value obtained by the above relation. In case the keyway is too long and the key is of sliding type, then the angle of twist is increased in the ratio is given by the following relation



	b	<p>Write advantages and disadvantages of square thread over V thread(Two each)</p> <p>Advantages(2 marks)</p> <ol style="list-style-type: none">1) Square thread has the greatest efficiency as its profile angle is zero.2) It produces minimum bursting pressure on the nut.3) It has more transmission efficiency due to less friction.4) It transmits power without any side thrust in either direction.5) It is more smooth and noiseless operation. <p>Disadvantages (2 marks)</p> <ol style="list-style-type: none">i)The disadvantages are that most are not very efficient.ii) Due to the low efficiency they cannot be used in continuous power transmission applications.iii)They also have a high degree of friction on the threads, which can wear the threads out quickly.	04
	c	<p>Suggest suitable material for the following machine parts (1 mark each)</p> <ol style="list-style-type: none">i) Crankshaft is usually made by steel. Generally medium-carbon steel alloys are composed of iron and contain a small percentage of carbon (0.25% to 0.45%), along with combinations of several alloying elements, the mix of which.ii) Helical spring-The most popular alloys include high-carbon (such as the music wire used for guitar strings), oil-tempered low-carbon, chrome silicon, chrome vanadium, and stainless steel. Other metals that are sometimes used to make springs are beryllium copper alloy, phosphor bronze, and titanium.iii) Bushes for Knuckle pin-carbon steel, alloy steel, stainless steel and aluminum. Finishes include zinc, nickel, mechanical plating, black oxide, passivated and anodized.iv) Lathe bed-Cast Iron.	04



d	<p>Suggest suitable coupling in the following cases</p> <p>i) shaft having perfect alignment- Rigid coupling-1) Muff or sleeve coupling 2) Split muff or clamp coupling 3) Rigid flange- Protected type, Unprotected type, Marine type flange coupling</p> <p>ii) shaft having both lateral and angular misalignment-Flexible coupling-1) Bush pin type 2) Oldham's coupling 3) Universal coupling</p>	04
e	<p>Explain the gear tooth failure modes (2 marks each)</p> <p>i) SCORING:</p> <p>Scoring is due to combination of two distinct activities: First, lubrication failure in the contact region and second, establishment of metal to metal contact. Later on, welding and tearing action resulting from metallic contact removes the metal rapidly and continuously so far the load, speed and oil temperature remain at the same level. The scoring is classified into initial, moderate and destructive.</p> <p>(i) INITIAL SCORING</p> <p>Initial scoring occurs at the high spots left by previous machining. Lubrication failure at these spots leads to initial scoring or scuffing. Once these high spots are removed, the stress comes down as the load is distributed over a larger area. The scoring will then stop if the load, speed and temperature of oil remain unchanged or reduced. Initial scoring is non progressive and has corrective action associated with it.</p> <p>(ii) Initial scoring</p> <p>MODERATE SCORING</p> <p>After initial scoring if the load, speed or oil temperature increases, the scoring will spread over to a larger area. The Scoring progresses at tolerable rate. This is called moderate scoring.</p> <p>DESTRUCTIVE SCORING</p> <p>After the initial scoring, if the load, speed or oil temperature increases appreciably, then severe scoring sets in with heavy metal torn regions spreading quickly throughout. Scoring is normally predominant over the pitch line region since elastohydrodynamic lubrication is</p>	04



the least at that region. In dry running surfaces may seize.

ii)Pitting: This is a major cause of gear failure accounting for nearly 60% of the gear failures. Pitting is the formation of craters on the gear tooth surface. These craters are formed due to the high amount of compressive contact stresses in the gear surface occurring during transmission of the torque or in simple terms due to compressive fatigue on the gear tooth surface. There are two types of Pitting. They are

a) Micro Pitting: These are basically formed due to Inherent Errors in the gears Presence of water in the lubricant that is lubricating the gears . Wrong viscosity selection of the lubricant used. Visually, micro pitting is not so clearly visible at the first go. One has to study the surface of the gear tooth to identify the micro pitting. They appear as very small dots which one can feel when he runs his finger over the gear tooth. This sort of pitting normally tends to make the gear useless and damages the whole gear system.

4

A

Attempt any THREE

(i) a)i) Define the terms(01 mark each)

(i)Solid length. When the compression spring is compressed until the coils come in contact with each other, then the spring is said to be solid. The solid length of a spring is the product of total number of coils and the diameter of the wire. Mathematically,

Solid length of the spring,

$$LS = n'.d$$

where n' = Total number of coils, and

d = Diameter of the wire.

ii) Spring index. The spring index is defined as the ratio of the mean diameter of the coil to the diameter of the wire. Mathematically,

$$\text{Spring index, } C = D / d$$

where D = Mean diameter of the coil, and

d = Diameter of the wire.

iii) Free length. The free length of a compression spring, is the length of the spring in the free or unloaded condition. It is equal to the solid length plus the maximum deflection or compression of the spring and the clearance between the adjacent coils (when fully compressed).

04



iv) Spring rate. The spring rate (or stiffness or spring constant) is defined as the load required per unit deflection of the spring. Mathematically,

$$\text{Spring rate, } k = W / \delta$$

where W = Load, and

δ = Deflection of the spring.

ii

ii) Ergonomics considerations any four

i) For assembly jobs, material should be placed in a position such that the worker's strongest muscles do most of the work.

ii) For detailed work which involves close inspection of the materials, the workbench should be lower than for work which is heavy.

iii) Hand tools that cause discomfort or injury should be modified or replaced. Workers are often the best source of ideas on ways to improve a tool to make using it more comfortable. For example, pliers can be either straight or bent, depending on the need.

iv) A task should not require workers to stay in awkward positions, such as reaching, bending, or hunching over for long periods of time.

v) Workers need to be trained in proper lifting techniques. A well designed job should minimize how far and how often workers have to lift.

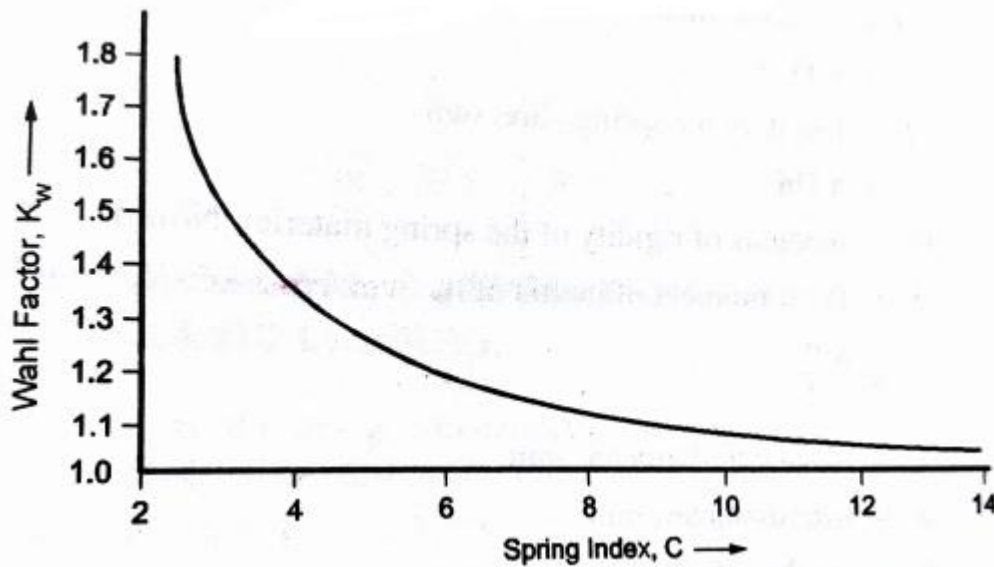
vi) Standing work should be minimized, since it is often less tiring to do a job sitting than standing.

vii) Job assignments should be rotated to minimize the amount of time a worker spends doing a highly repetitive task, since repetitive work requires using the same muscles again and again and is usually very boring.

viii) Workers and equipment should be positioned so that workers can perform their jobs with their upper arms at their sides and with their wrists straight.

04

iii) Graph of Wahls stress factor- 2 marks , explanation- 2 marks



04

Curvature Effect

The curvature of the wire increases the stress on the inside of the spring, an effect very similar to stress concentration but due to shifting of the neutral axis away from the geometric center, as could be observed in curved beams. Consequently the stress on the inside surface of the wire of the spring, increases but decreases it only slightly on the outside. The curvature stress is highly localized that it is very important only fatigue if is present.

This effect can be neglected for static loading, because local yielding with the first application of the load will relieve it. The combined effect of direct shear and curvature correction is accounted by Wahl's correction factor and is given as:

Wahl's correction factor

The combined effect of direct shear and curvature correction is accounted by Wahl's correction factor and is given as:

$$k_w = \frac{4C - 1}{4C - 4} + \frac{0.615}{C}$$

iv

iv) write only the equations for the conditions (2 marks each)

i) Self-locking:

$$T = Wdm/2x \tan(\phi - \alpha)$$

When ϕ is greater than or equal to α , a positive torque is required to lower the load.

04

Under this condition, the load will not turn the screw and will not descend on its own unless an effort P is applied.

Screw will be self-locking if the co-efficient of friction is equal to or greater than the tangent of the helix angle, the screw is said to be self-locking.

ii)Over hauling:

The torque required to lower the load can be given by the equation,

$$T = Wdm/2 \tan(\phi - \alpha)$$

It can be seen when $\phi < \alpha$ the torque required to lower the load is negative.

It indicates a condition that no force is required to lower the load. The load itself will begin to turn the screw and descend down, unless a restraining torque is applied.

The condition is called overhauling of the screw. This condition is also called back driving of screw.

Attempt any ONE (strength equation – 2 marks each and fig. 1 each)

b
i

i)Strength equation of double parallel fillet weld= throat area x allowable shear stress

$$P = 2 \times 0.707 \times S \times l \times \tau$$

$$= 1.414 \times S \times l \times \tau$$

Where S= size or leg of the weld

l= length of the weld

τ = shear stress

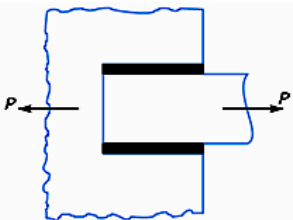


Fig. double parallel fillet weld

Strength equation of double transverse fillet weld

P =throat area x allowable tensile stress

$$P = 2 \times 0.707 \times S \times l \times \sigma_t$$

$$= 1.414 \times S \times l \times \sigma_t$$

Where S= size or leg of the weld

06

l = length of the weld

σ_t = tensile stress

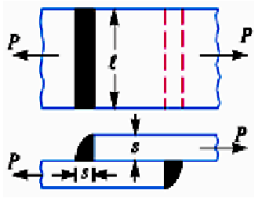


Fig.double transverse fillet weld

ii

1) Length of handle (4 marks)

Given data $\mu=0.15$

Mean diameter of the screw $=d= d_o-p/2= 12-2/2=11\text{mm}$

$\tan \alpha= p/\pi d=2/\pi \times 11=0.058$

Angle for trapezoidal thread is $2 = 30^\circ$ or $= 15^\circ$ therefore virtual coefficient of friction, $\mu_1= \tan \Phi_1= \mu/\cos \beta=0.12/\cos 15=0.124$ Put $\mu=0.15$

$\mu_1= \tan \Phi_1= \mu/\cos \beta=0.15/\cos 15=0.155$

Torque required to overcome friction at the screw,

$T_1=Pxd/2=W \tan (\alpha + \Phi_1) d/2 = 4000(0.058+0.124)/(1-0.058 \times 0.124)=4033\text{Nmm}$

$T_1=Pxd/2=W \tan (\alpha + \Phi_1) d/2 = 4000(0.058+0.155)/(1-0.058 \times 0.155)d/2=4733\text{Nmm}$

Assuming uniform wear the torque required to overcome friction at the collar,

$T_2 = \mu_2 WR =0.28 \times 4000 \times 8 =8960 \text{ N-mm}$

Torque required at the handle , $T = T_1+ T_2 = 4033+8960 =12993 \text{ N-mm}$

Torque required at the handle , $T = T_1+ T_2 = 4733+8960 =13693 \text{ N-mm}$

Torque required at the handle $= P_1 \times l =12993=80 \times l$

Torque required at the handle $= P_1 \times l =13693=80 \times l$

$=162.4125 \text{ mm. Ans.}$

$=171 \text{ mm. Ans.}$

ii) the bearing pressure on the threads.(2 marks)

Height of the nut, $h= n \times p= 25$

06



5	a	<p>No. of threads in contact, $n = h/p = 25/2 = 12.5$ and thickness of threads $t = p/2 = 2/2 = 1 \text{ mm}$</p> <p>The bearing pressure on the threads $= P_b = W/\pi d t n = 4000/3.142 \times 11 \times 1 \times 12.5 = 9.26 \text{ N/mm}^2 \text{ Ans.}$</p> <p>Attempt any Two</p> <p>Given Data: $P = 25 \text{ KN} = 25 \times 10^3 \text{ N}$, $f_t = 56 \text{ N/mm}^2$, $f_s = 40 \text{ N/mm}^2$, $f_c = 70 \text{ N/mm}^2$</p> <p>Design a knuckle joint</p> <p>STEP 1: Failure in rod in tension</p> <p>The rod may fail in tension due to tensile load W</p> $f_t = \frac{P}{\frac{\pi}{4} \times d^2} , \quad 56 = \frac{25 \times 10^3}{\frac{\pi}{4} \times d^2} , \quad d^2 = 568.4 , \quad d = 23.84 \approx 24 \text{ mm}$ <p>STEP II: Double Shearing in Pin:</p> $f_s = \frac{P}{2 \times \frac{\pi}{4} \times dp^2} , \quad 40 = \frac{25 \times 10^3}{2 \times \frac{\pi}{4} \times dp^2} , \quad dp^2 = 397.88 , \quad dp = 19.94 \approx 20 \text{ mm}$ <p>STEP III: Thickness of single eye (t) :</p> <p>Crushing stress induced in single eye</p> $f_c = \frac{P}{dp \times t} = 70 = \frac{25 \times 10^3}{20 \times t} , \quad t = 17.85 \text{ mm} \approx 18 \text{ mm}$ <p>STEP IV: Outside diameter of single eye (doe)</p> $f_t = \frac{P}{(doe - dp) \times t} , \quad 56 = \frac{25 \times 10^3}{(doe - 20) \times 18} , \quad doe = 44.80 \text{ mm} \approx 45 \text{ mm}$ $f_s = \frac{P}{2(doe - dp) \times t/2} , \quad 40 = \frac{25 \times 10^3}{(doe - 20) \times 18} , \quad doe = 54.72 \text{ mm} \approx 55 \text{ mm}$ <p>The largest value of outside diameter of single eye is selected (doe) (doe) = 55 mm</p> <p>Design of fork :</p> <p>Step V : Thickness of double eye t₁ =</p> <p>Double eye may fail in crushing due to tensile load</p> $f_c = \frac{P}{2 \times dp \times t_1} = 70 = \frac{25 \times 10^3}{2 \times 20 \times t_1} , \quad t_1 = 8.9 \text{ mm} \approx 10 \text{ mm}$ <p>Step VI: Outside diameter of single eye (dof)</p> $f_t = \frac{P}{(dof - dp) \times 2 \times t_1} , \quad 56 = \frac{25 \times 10^3}{(dof - 20) \times 2 \times 10} , \quad dof = 44.32 \text{ mm} \approx 45 \text{ mm}$	(2X 8)
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1

1

1

2

1

2



$$f_s = \frac{p}{2(\text{dof}-dp) \times t_1}, \quad 40 = \frac{25 \times 10^3}{(\text{dof}-20) \times 10}, \quad \text{doe} = 82.5 \text{ mm} \approx 84 \text{ mm}$$

The largest value of outside diameter of double eye is selected (**dof**).....

(**dof**) = 84 mm

Note: dimensions may vary according selection of final size. So give full credit to the correct method/ alternate method

B i

a) Bearing Modulus:

It is a ratio of (ZN) and P . **dimensionless Number**

$$\text{Bearing modulus} = \frac{ZN}{P}$$

The factor ZN/p helps to predict the performance of a bearing.

b) Critical Pressure

The pressure at which the oil film breaks down so that metal to metal contact begins, is known as **critical pressure** or the **minimum operating pressure** of the bearing.

It may be obtained by the following empirical relation, *i.e.*

Critical pressure or minimum operating pressure,

$$P = \frac{ZN}{4.75 \times 10^6} \left(\frac{d}{c}\right)^2 \left(\frac{l}{d+l}\right) \text{ N/mm}^2$$

02

02

ii

four advantages & disadvantages of welded joints over screwed joint

Advantages:

- 1) Permanent Joint
- 2) Longer life than screwed joint.
- 3) Welded joints are tight and leak proof.
- 4) More strength and rigidity.

Disadvantages:

- 1) It is very difficult to inspect.
- 2) It can not be used to joint dissimilar material as in case of screwed joints.
- 3) Welded joints required skilled manpower
- 4) Assembly and disassembly not simple in welded joint .
- 5) Distortion and stresses may developed in due to heating.

½ EACH

2 M

½ EACH

2 M



6	c	<p>Design of Helical compression spring:</p> <p>a) Design of spring</p> <p>Given Data: $W=1200 \text{ N}$, $\delta = 30 \text{ mm}$, $\tau = 420 \text{ MPa}$, $G = 84 \times 10^3 \text{ N/mm}^2$, $C = 5$</p> <p>Wahl's stress correction factor is</p> $K = \frac{4C-1}{4C-4} + \frac{0.615}{C}, \quad K = \frac{4 \times 5 - 1}{4 \times 5 - 4} + \frac{0.615}{5}, \quad K = 1.3105 \dots\dots\dots$ <p>1) Mean dia of spring coil</p> $\tau = KX \frac{8WD}{\pi d^3}, \quad 420 = 1.3105X \frac{8 \times 1200 \times 5}{\pi d^3}, \quad d = 6.9 \text{ mm.}$ <p>2) Mean dia of spring coil $D_m =$</p> <p>$C = D_m/d$, $D_m = 5 \times 6.9 = 34.5 \text{ mm}$, $D_m = 34.5 \text{ mm}$.....</p> <p>3) Number of turns:</p> $\delta = \frac{8WD^3 n}{Gd^4} = \frac{8 \times 1200 \times 34.5^3 \times n}{84 \times 10^3 \times 6.9^4} \quad n = 14.49 \text{ i.e } 16 \text{ turns} \dots\dots\dots$ <p>Assuming squared & grounded ends ,total number of turns is given by</p> <p>$n' = n + 2 = 16 + 2 = 18$</p> <p>3) Solid Length = $L_s = n' \times d = 18 \times 6.9 = 124.2 \text{ mm}$.....</p> <p>4) Free Length = $L_f = n' \times d + \delta_{max} + 0.15 \delta_{max}$</p> <p>$L_f = (18 \times 6.9 + 30 + 0.15 \times 30) = 158.7 \text{ mm}$.....</p> <p>5) Pitch of coil = $P = \frac{\text{free length}}{n' - 1} = \frac{158.7}{18 - 1} = 9.33 \text{ mm}$</p> <p>Note: dimensions may vary according selection of final size. So give full credit to the correct method/ alternate method</p>	<p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p>
	a	<p>Attempt Any Four</p> <p>Lewi's Equation for strength of a gear tooth with notations</p> <div style="border: 1px solid black; padding: 10px; width: fit-content; margin: 10px auto;"> $W_T = \sigma_w .b. P_c .y = \sigma_w .b.\pi m . y$ </div> <p>..($P_c = \pi m$)</p> <p>W_T = Tangential load acting at the term</p> <p>σ_w = Beam strength of the tooth</p> <p>b = Width of the gear face</p> <p>P_c = Circular pitch</p> <p>m = Module</p> <p>Y is known as Lewis form factor or tooth form factor</p>	<p>EQ:</p> <p>2M</p> <p>Meaning of terms – 2 M</p> <p>1/2</p>



b

Given Data:

$W = 40 \times 10^3 \text{ N}$, $L = 650 \text{ mm}$, $L_1 = 75 \text{ mm}$, $L_2 = 575 \text{ mm}$, $\sigma_t = 70 \text{ N/mm}^2$

1) **Direct Shear load** on each bolt

$$W_s = \frac{W}{n} = \frac{40}{4} = 10 \text{ K N}$$

2) **Max Tensile load** on upper bolts at a distance $L_2 = 575 \text{ mm}$

Put $L = 600 \text{ mm}$

$$\text{Max tensile Load } wt = \frac{W \times L \times L_2}{2(L_1^2 + L_2^2)} = \frac{40 \times 650 \times 575}{2(75^2 + 575^2)} = 22.23 \text{ KN} \dots\dots$$

$$= 20.52 \text{ KN}$$

When bolts are subjected to shear as well as tensile loads ,then equivalent tensile load

$$W_{te} = \frac{1}{2} [W_t + \sqrt{(W_t)^2 + 4(W_s)^2}]$$

$$W_{te} = \frac{1}{2} (21.95 + [(21.95)^2 + 4 (10)^2]^{1/2}) = 25.82 \text{ KN} \dots\dots\dots$$

$$= 24.58 \text{ KN} \dots\dots\dots$$

3) **Size of bolts:**

$$\sigma_t = \frac{W_{te}}{\frac{\pi}{4} d_c^2}, \quad 70 = \frac{25.82 \times 10^3}{\frac{\pi}{4} d_c^2},$$

$$d_c = 21.77 \text{ mm} , \dots\dots\dots$$

$$d_o = 21.77/0.84 = 25.92 \approx 26 \text{ mm}$$

Bolt size may be M26

1
1
1
1

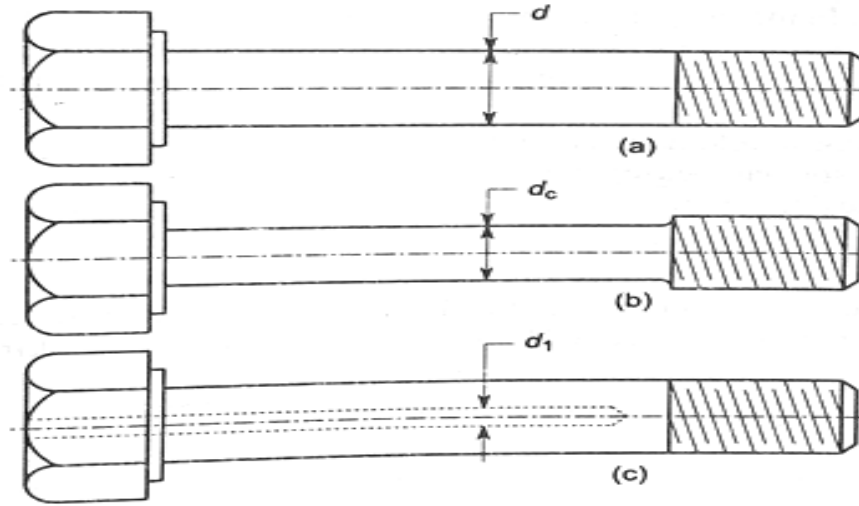
c

Comparison sliding contact bearing and roller contact bearing

SR. NO	Parameter	Sliding contact bearing	Rolling contact bearing
1	Size	Large	small
2	Life	Less life	Long life
3	Coeff. of friction	High	less
4	Housing Diameter	Less	Large

1 M
Each

d **Method of obtaining bolts of uniform strength**



02

In an ordinary bolt shown in **Fig. (a)**, the effect of the impulsive loads applied axially is concentrated on the weakest part of the bolt i.e. the cross-sectional area at the root of the threads. In other words, the stress in the threaded part of the bolt will be higher than that in the shank. Hence a great portion of the energy will be absorbed at the region of the threaded part which may fracture the threaded portion because of its small length.

If the shank of the bolt is turned down to a diameter equal or even slightly less than the core diameter of the thread (d_c) as shown in **Fig. (b)**, then shank of the bolt will undergo a higher stress. This means that a shank will absorb a large portion of the energy, thus relieving the material at the sections near the thread. The bolt, in this way, becomes stronger and lighter and it increases the shock absorbing capacity of the bolt because of an increased modulus of resilience. This gives us bolts of uniform strength. The resilience of a bolt may also be increased by increasing its length.

02

A second alternative method of obtaining the bolts of uniform strength is shown in **Fig. (c)**. An axial hole is drilled through the head as far as the thread portion such that the area of the shank becomes equal to the root area of the thread

e **Procedure for selection of bearing from manufacturer's Catalogue.**

- 1) Calculate radial and axial forces and determine dia. of shaft.
- 2) Select proper type of bearing.
- 3) Start with extra light series for given diagram go by trial of error method.



- 4) Find value of basic static capacity (C_0) of selected bearing from catalogue.
- 5) Calculate ratios F_a/VF_r and F_a/C_0 .
- 6) Calculate values of radial and thrust factors. (X & Y) from catalogue.
- 7) For given application find value of load factor K_a from catalogue.
- 8) Calculate equivalent dynamic load using relation. $P_e = (XVF_r + YFA) K_a$.
- 9) Decide expected life of bearing considering application. Express life in million revolutions L_{10} .
- 10) Calculate required basic dynamic capacity for bearing by relation.
- 11) Check whether selected bearing has req. dynamic capacity, IF it not select the bearing of next series and repeat procedure from step-4.

CORRECT
STEPS
OR
FLOW
CHART
4 M

OR (flowchart)

